

ANS[®] M&C 2025

International Conference on Mathematics and Computational
Methods Applied to Nuclear Science and Engineering

A Study of Temperature Feedback in the DARWIN Core Concept with Comparison of Monte Carlo and Deterministic Approaches

Anže Mihelčič

Dušan Čalič, Luka Snoj



Jožef Stefan Institute, Ljubljana, Slovenia

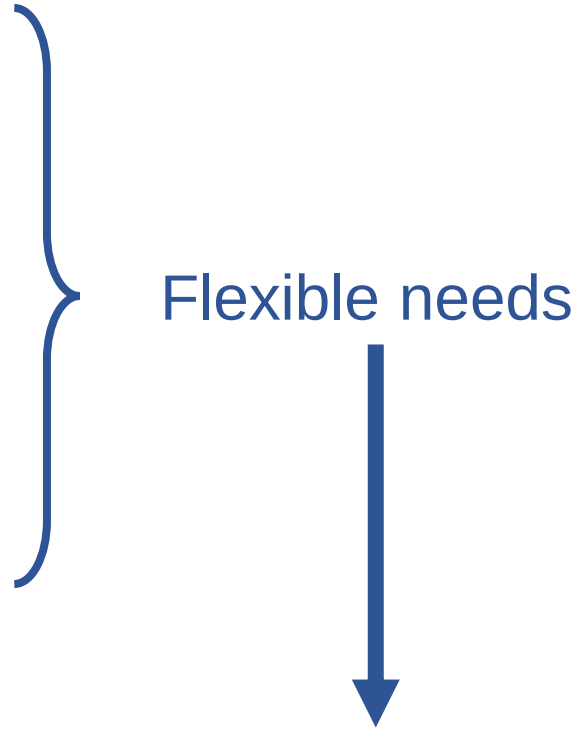


Outline

- Motivation and introduction
- Computational model and procedure
- Criticality analysis
- Burnup analysis
- Conclusions

Motivation

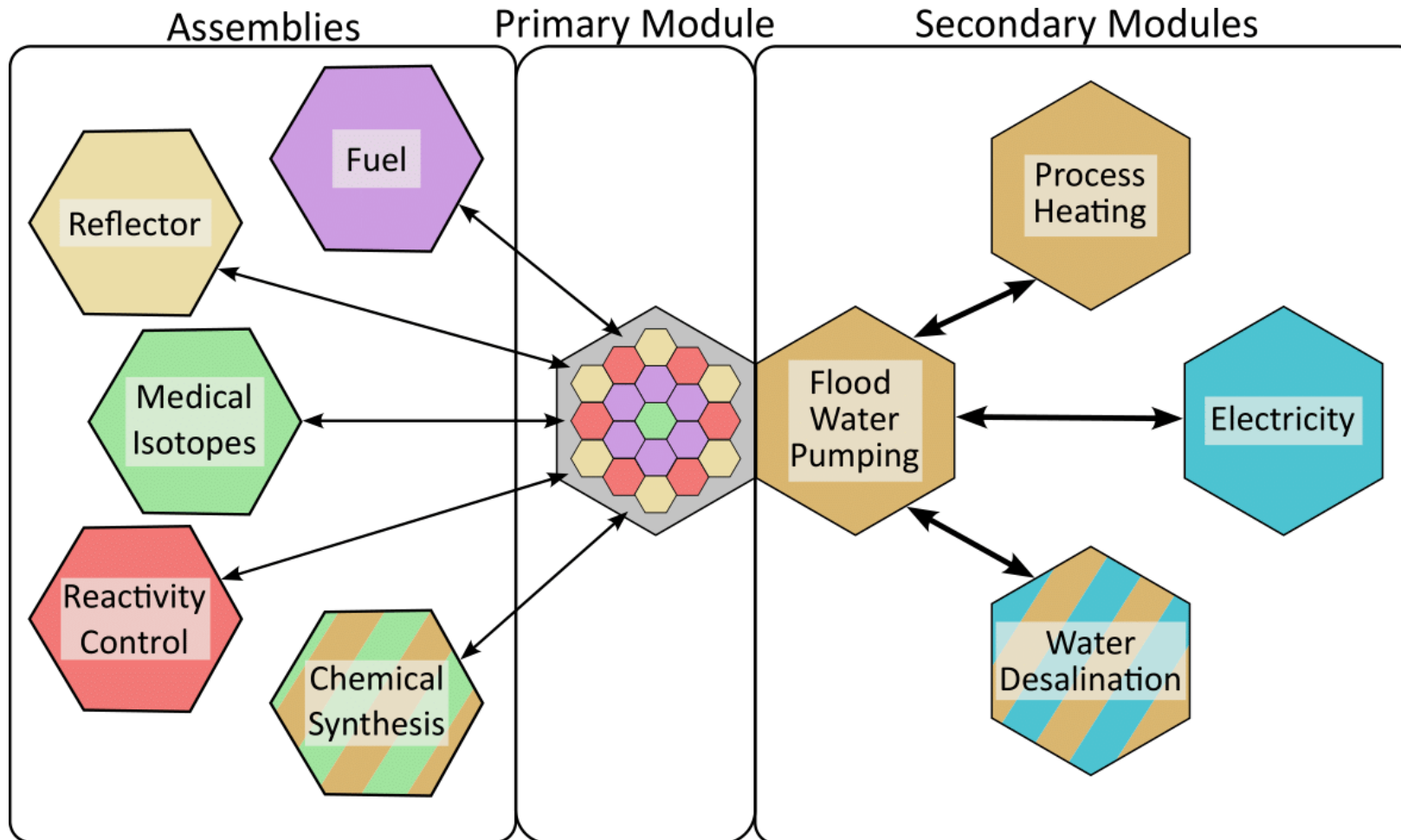
- Climate changes & severe weather events
- Electrification → increase demand for electricity
- Intermittent renewable energy sources



But today's reactors (mostly)
for base-load electricity
production ONLY

Motivation

- Adaptive design for flexible needs
- Dispatchable Adaptive Reactor With Interchangeable compoNents

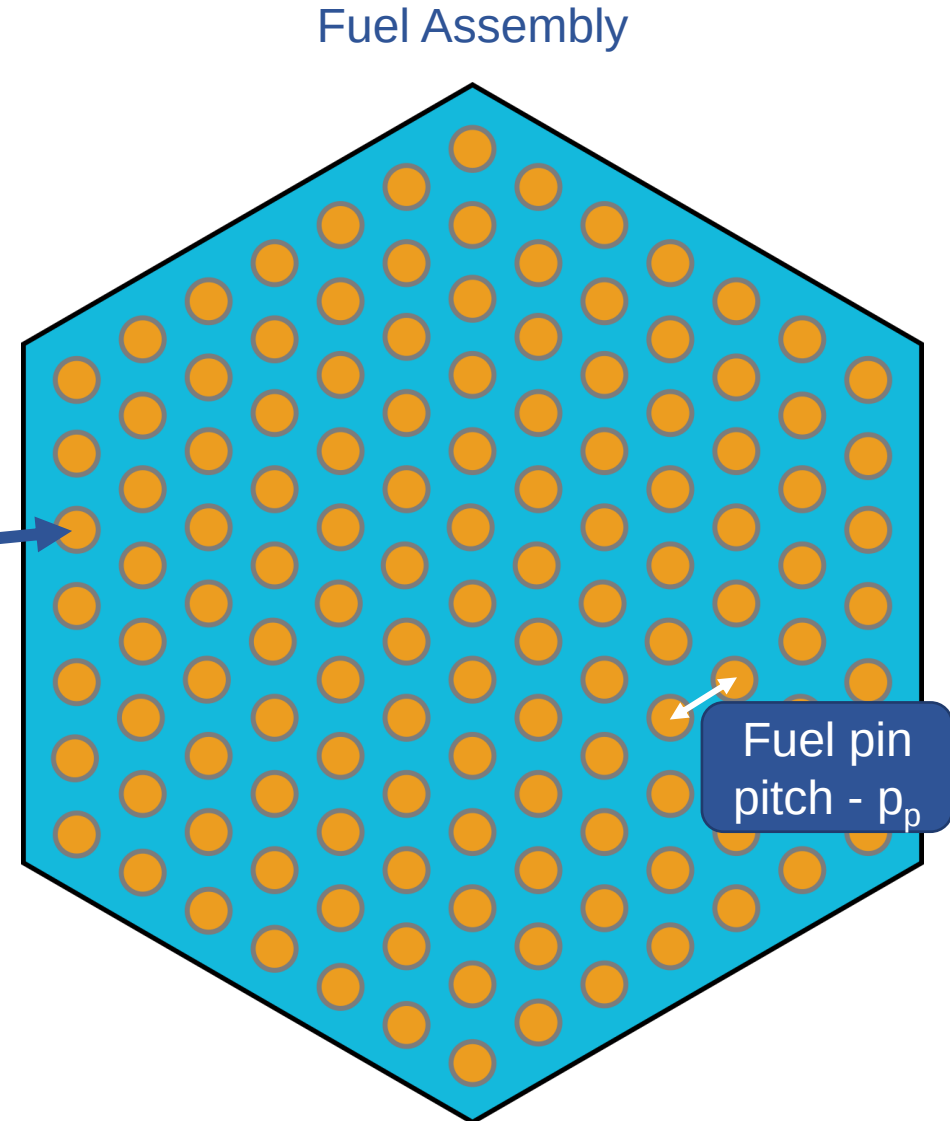


Introduction

- First step to DARWIN design
- Phase space research:
 - Fuel pin pitch
 - Fuels
 - Reactivity control
 - ...
- Boundary conditions:
 - $k > 1$
 - $\alpha < 0$
 - Φ
 - Peaking factors
 - ...
- Why Ants?
 - Deterministic code $\rightarrow$ high calculation speed
 - Hexagonal geometry is enabled

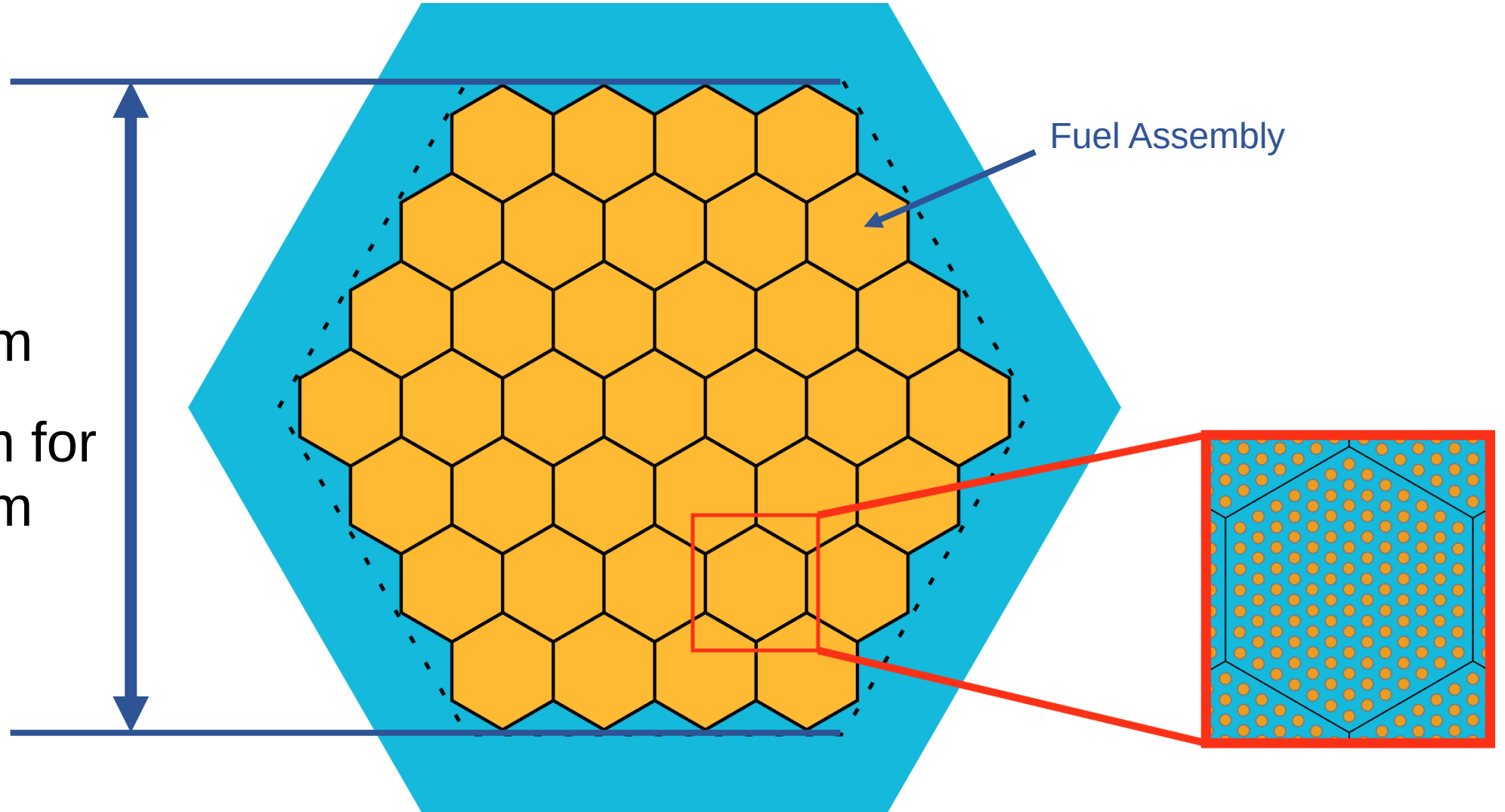
Computational model

- 2D:
 - Parametric analysis
 - Computational speed
- Hexagonal geometry:
 - Efficient space utilization
 - Uniform power distribution
- Fuel pin:
 - 3 % enriched UO_2
 - Gap with He
 - Zircaloy-4 cladding

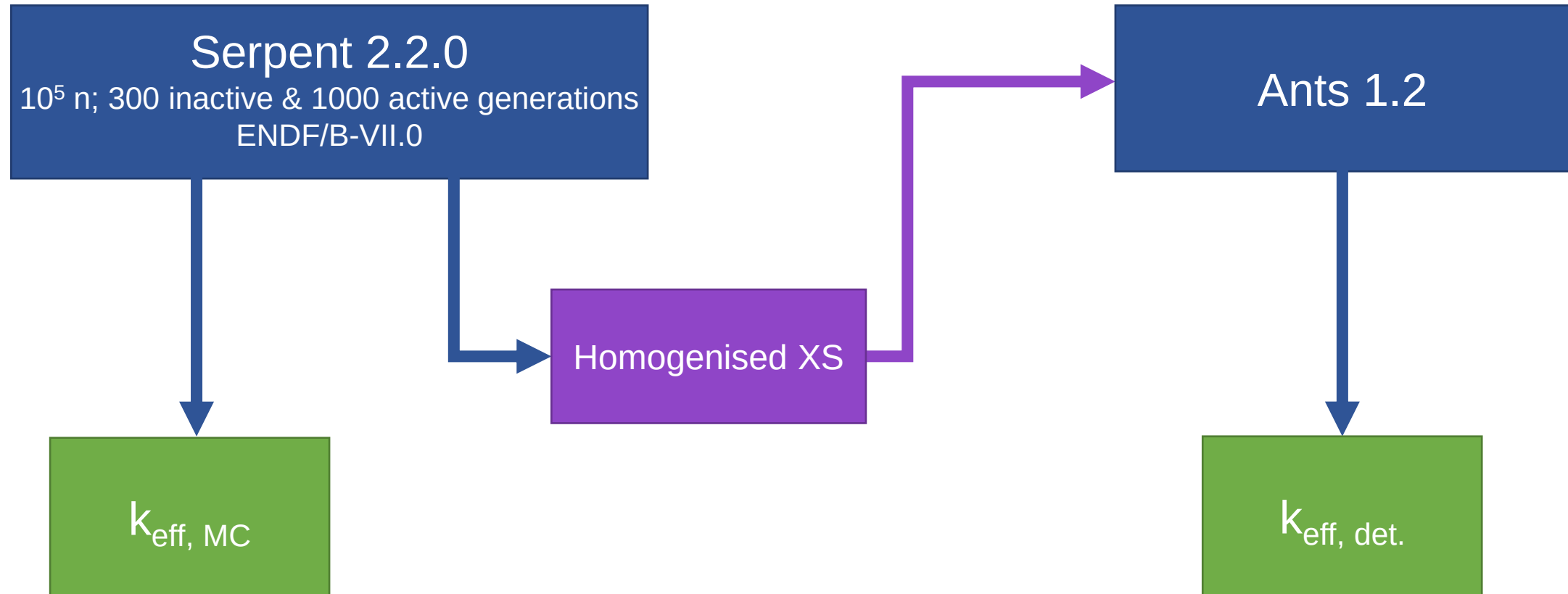


Computational model

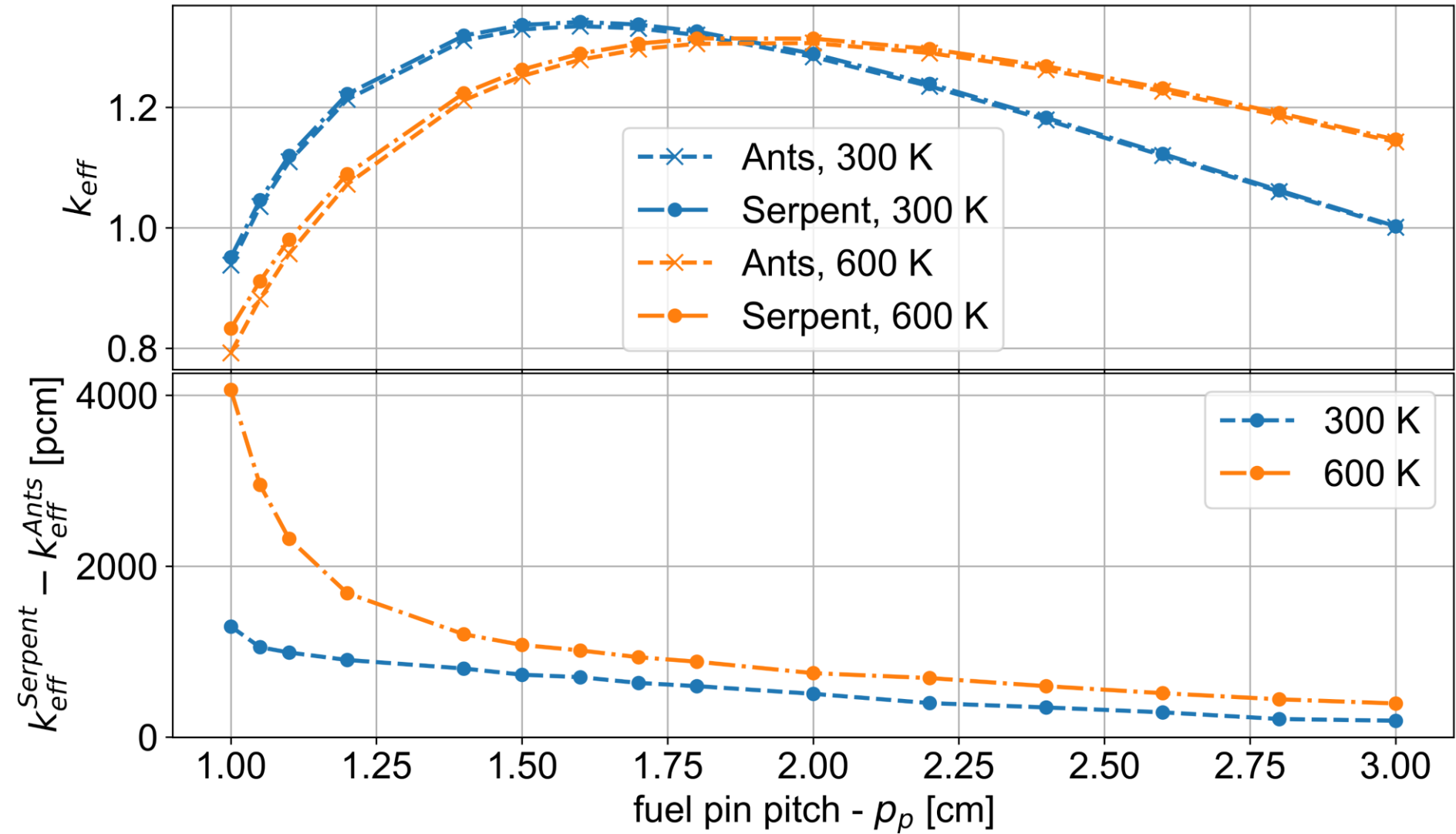
- 113 cm for $p_p = 1.00$ cm
- $d_c = 260$ cm for $p_p = 3.00$ cm



Computational procedure



Criticality analysis



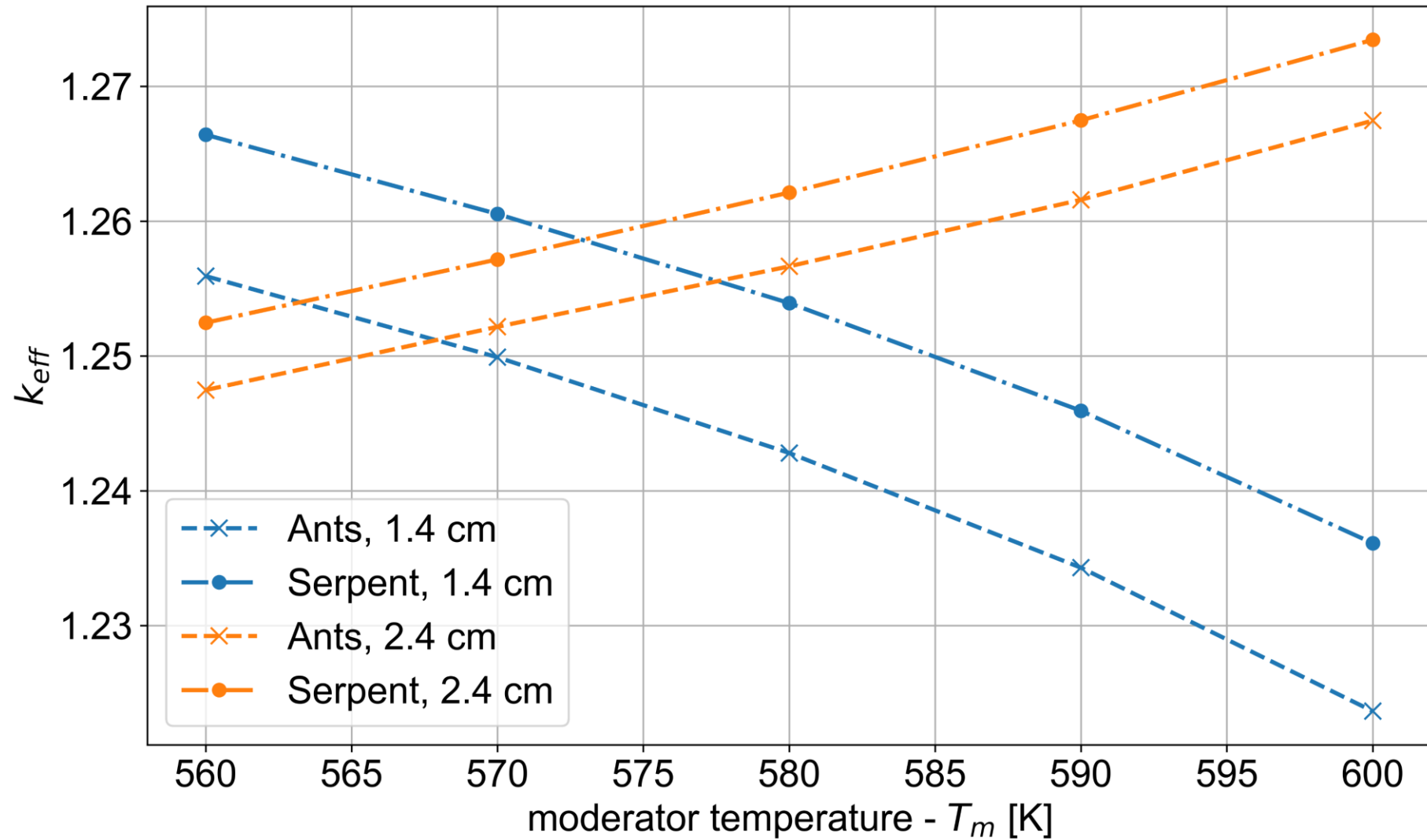
Temperature effects

- Temperature feedback coefficients:

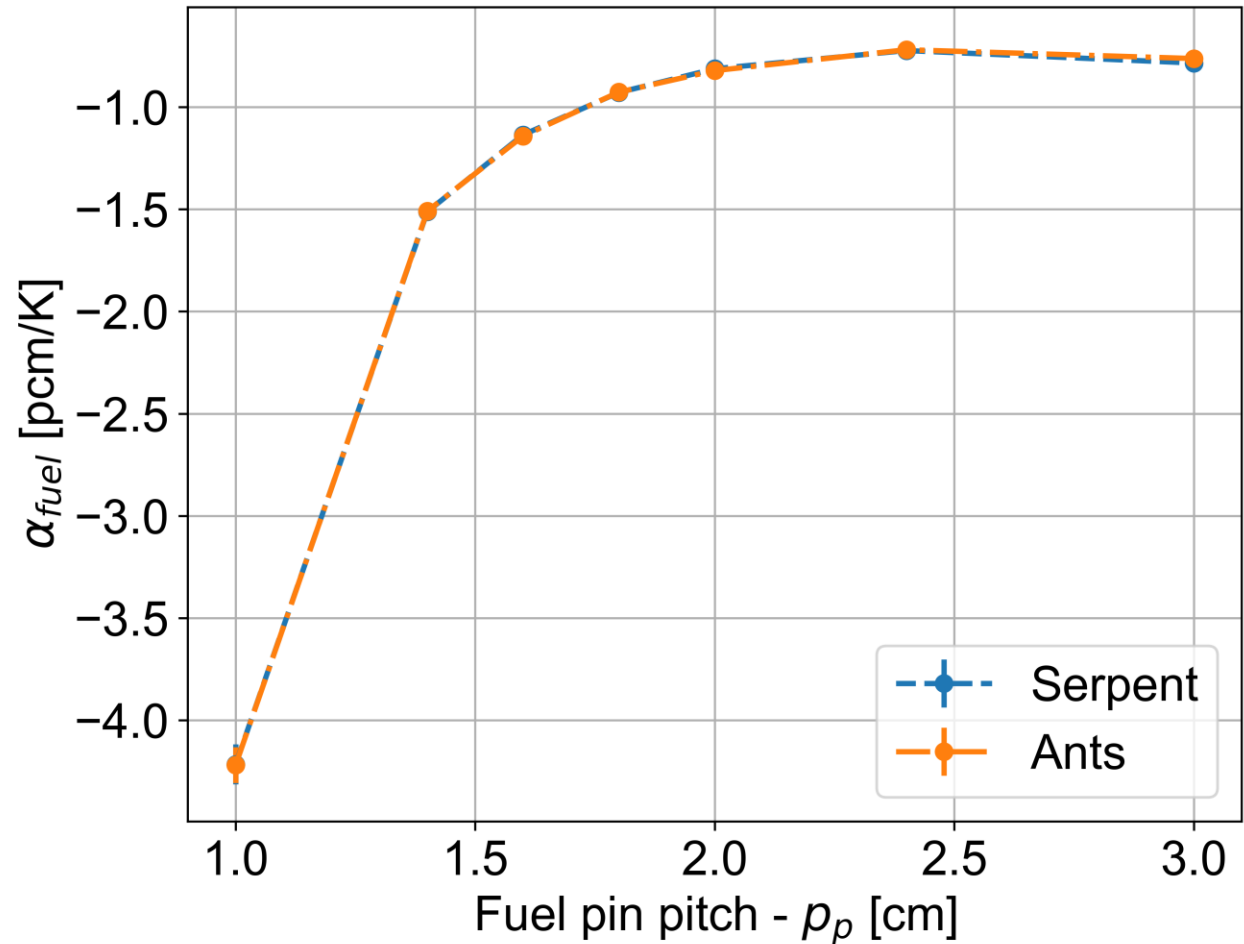
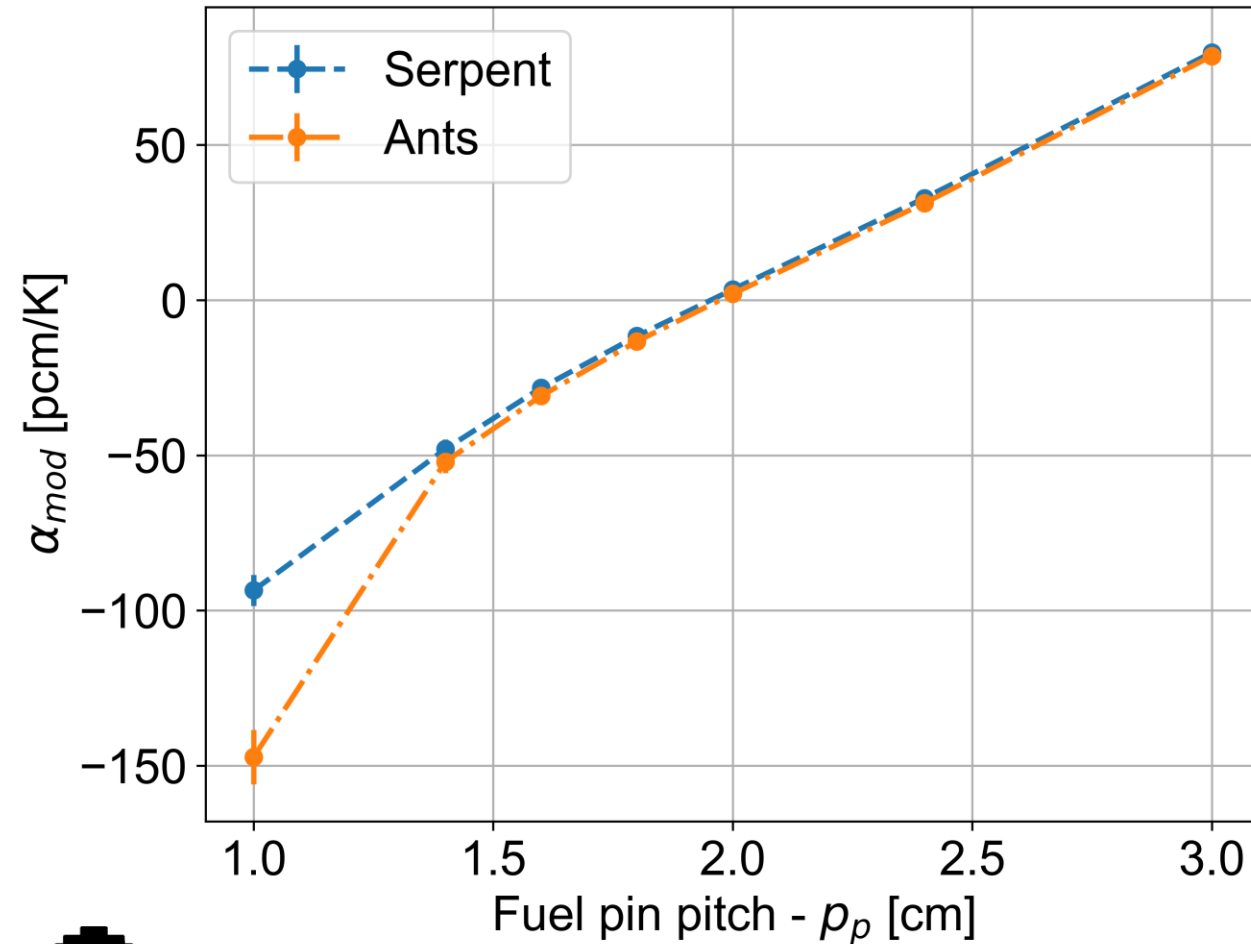
$$\alpha_j = \frac{\partial \rho}{\partial T_j}$$

- $T_{\text{moderator}} \in [560 \text{ K}, 600 \text{ K}]$
- $T_{\text{fuel}} \in [560 \text{ K}, 1080 \text{ K}]$
- $c_B \in [0 \text{ ppm}, 2500 \text{ ppm}]$

Moderator temperature

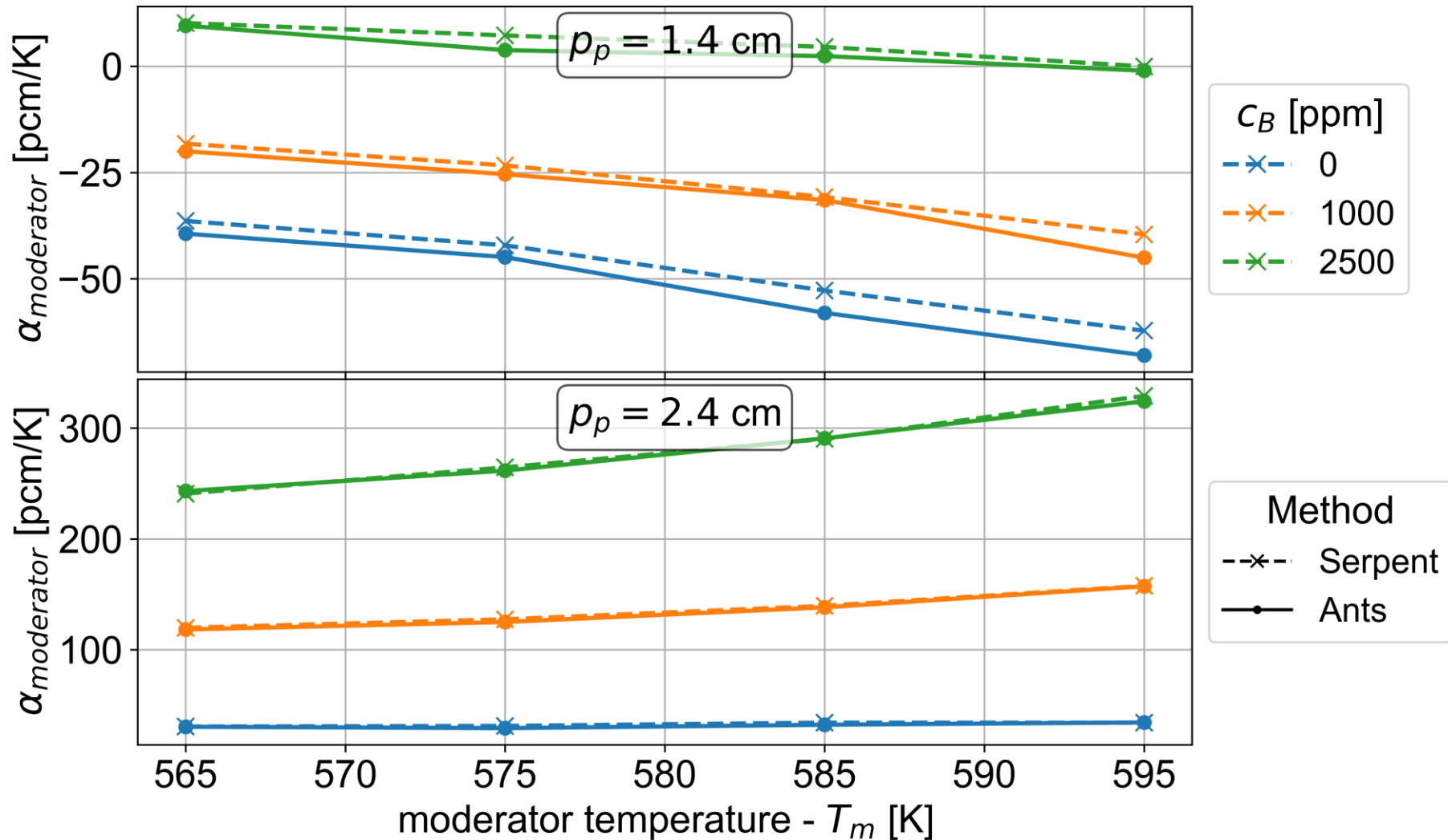


Temperature feedback coefficients (w/o boron)



Boron

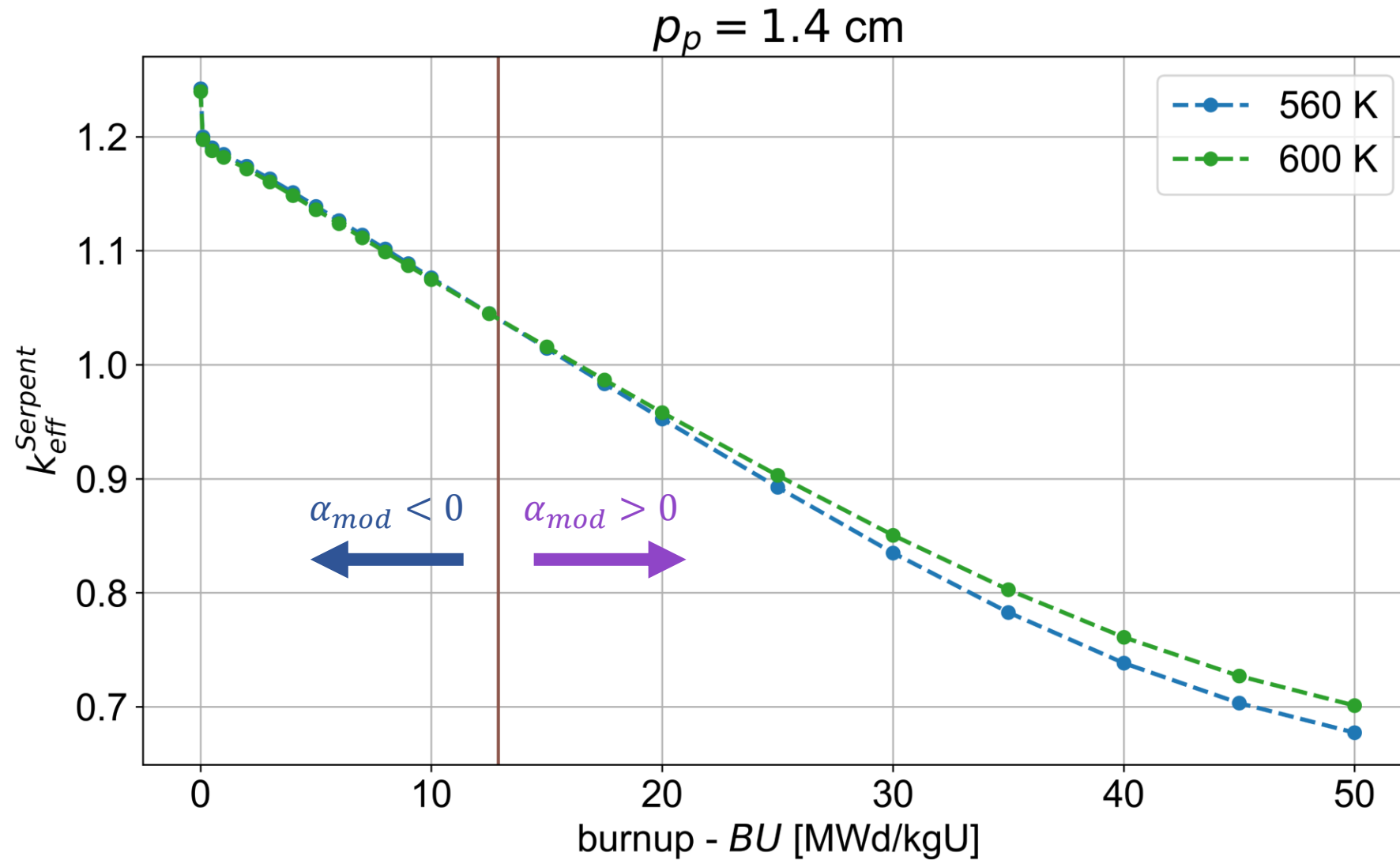
- $$\alpha_{\text{moderator}}(T_i) = \frac{\rho(T_{i+\frac{1}{2}}) - \rho(T_{i-\frac{1}{2}})}{T_{i+\frac{1}{2}} - T_{i-\frac{1}{2}}}$$



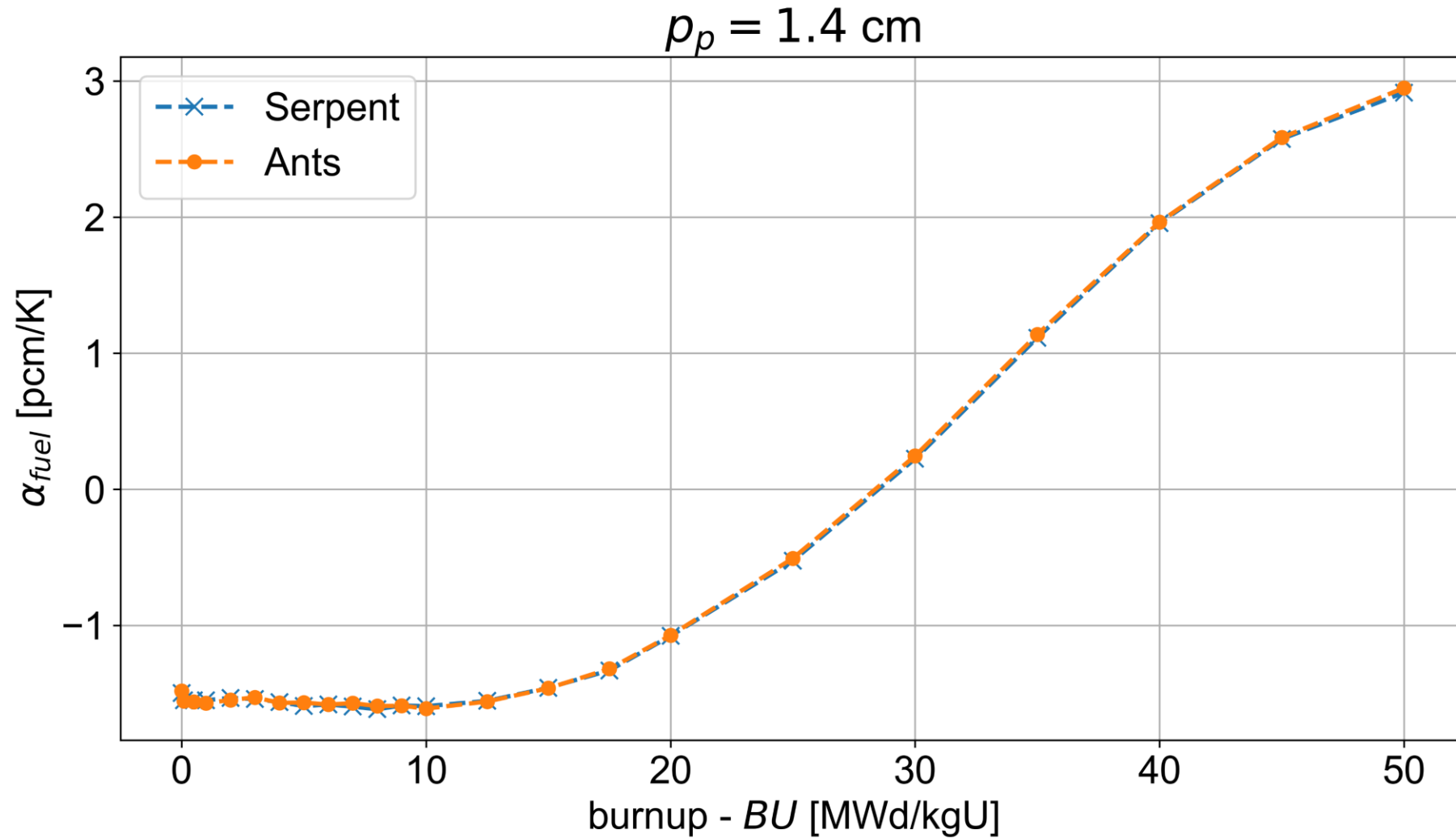
Burnup

- $\frac{P}{m} = 40 \text{ W/g}$
- BU up to 50 MWd/kgU
- $T_{\text{moderator}}$ at 560 K & 600 K with $c_B = 1000 \text{ ppm}$
- $T_{\text{fuel}} \in [560 \text{ K}, 1080 \text{ K}]$
- $c_B = \text{const.}$

Moderator temperature



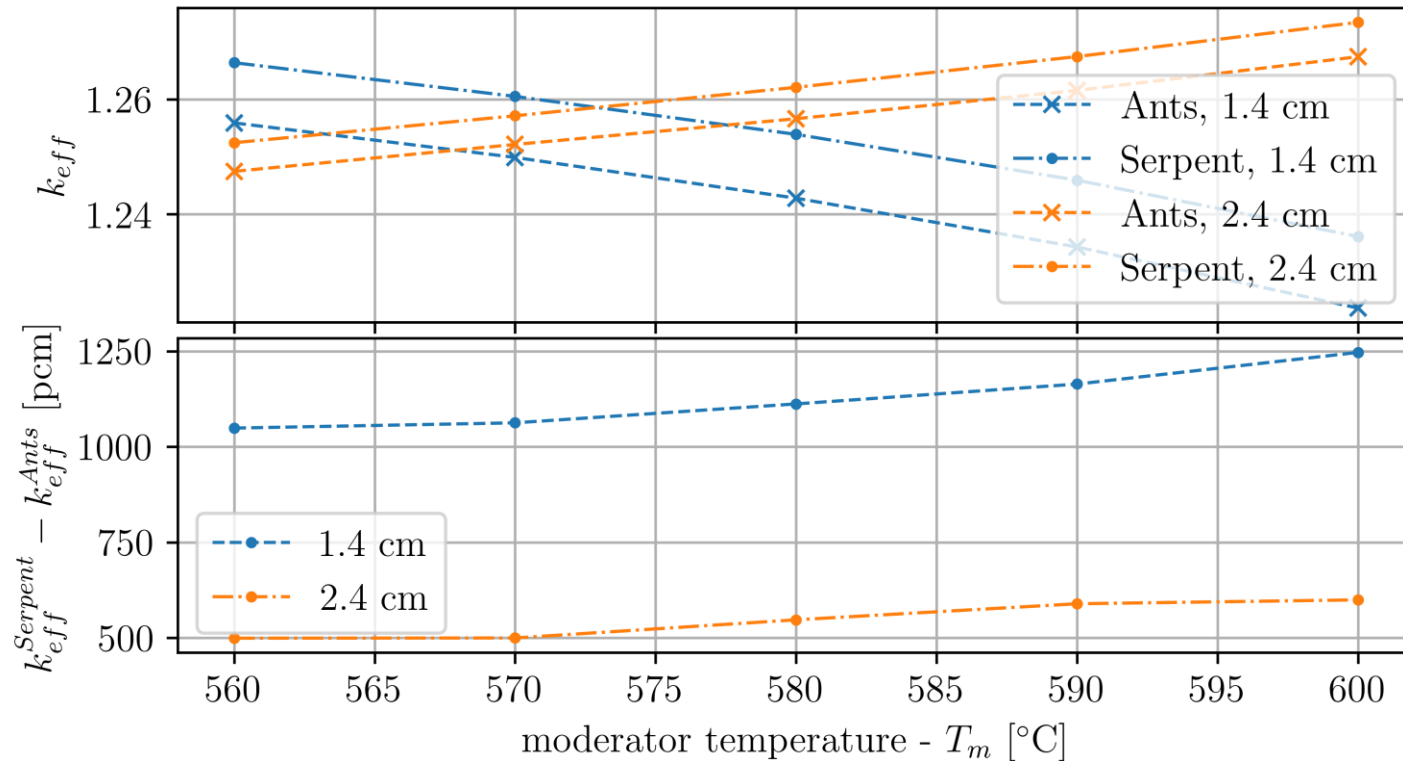
Fuel temperature feedback coefficient



Conclusions

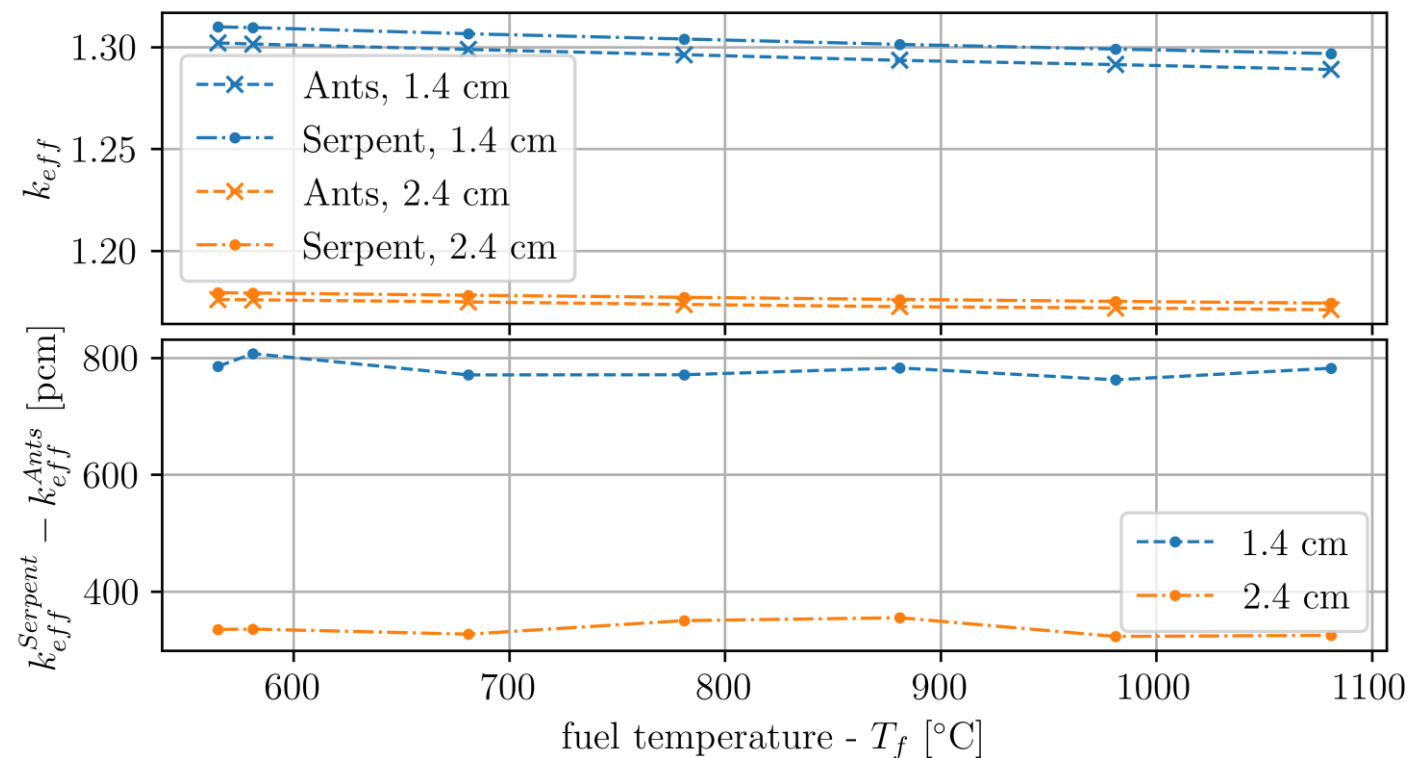
- Boundary conditions (changes with burnup):
 - $k_{eff} \geq 1$:
 - $1.1 \text{ cm} \leq p_p \leq 3.0 \text{ cm}$
 - $p_p < 1.5 \text{ cm}$ under-moderated region
 - $\alpha_{moderator} < 0$:
 - $c_B < 2000 \text{ ppm}$
 - w/o boron: $p_p \leq 1.8 \text{ cm}$
 - Depends on T_{mod}
 - $\alpha_{fuel} < 0$:
 - Negative for all p_p
- Significant difference between Serpent and Ants
- Diffusion approximation is not good enough

Moderator temperature



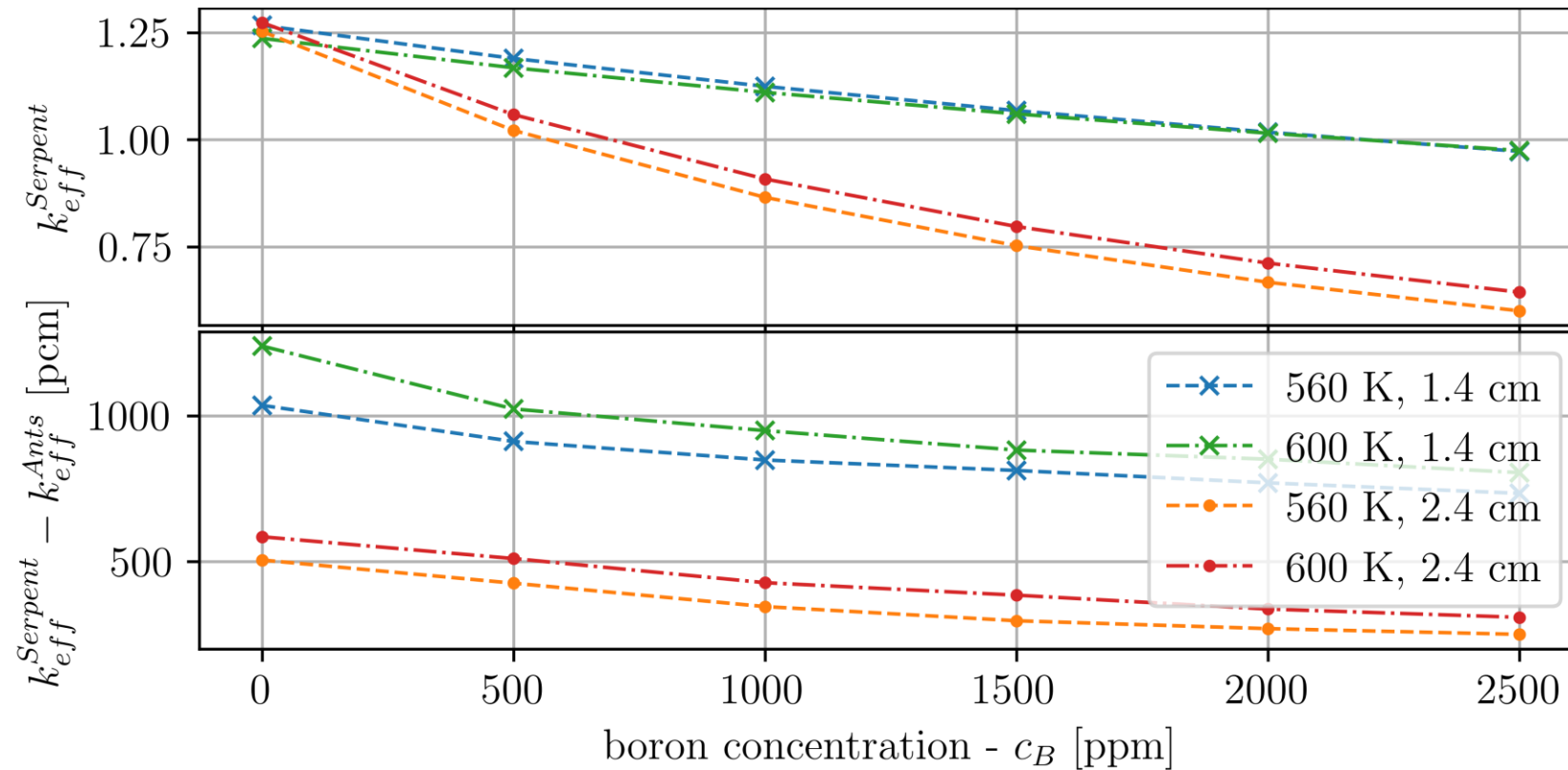
p_p [cm]	$\alpha_{moderator}$ [pcm/K]	
	Serpent	Ants
1.0	-93.5 ± 5.0	-147.2 ± 8.8
1.4	-48.0 ± 3.1	-52.1 ± 3.6
1.6	-28.3 ± 2.0	-30.9 ± 2.2
1.8	-11.6 ± 1.3	-13.3 ± 1.4
2.0	3.4 ± 0.5	2.0 ± 0.4
2.4	32.8 ± 0.8	31.2 ± 0.9
3.0	79.7 ± 2.7	78.6 ± 2.4

Fuel temperature



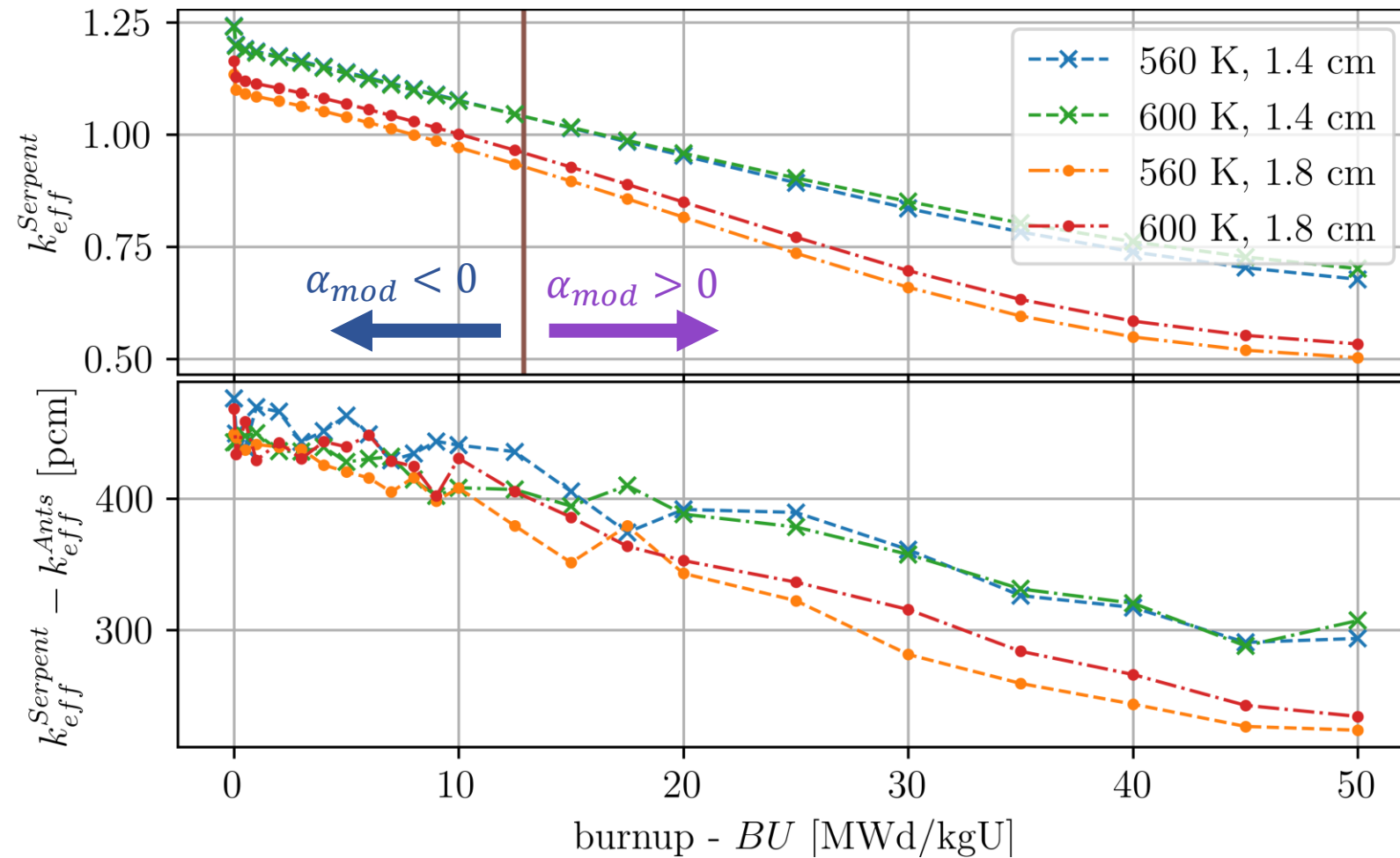
	α_{fuel} [pcm/K]	
p_p [cm]	Serpent	Ants
1.0	-4.215 ± 0.098	-4.218 ± 0.088
1.4	-1.512 ± 0.032	-1.509 ± 0.025
1.6	-1.136 ± 0.019	-1.142 ± 0.022
1.8	-0.929 ± 0.013	-0.927 ± 0.022
2.0	-0.813 ± 0.013	-0.822 ± 0.017
2.4	-0.724 ± 0.010	-0.720 ± 0.027
3.0	-0.785 ± 0.011	-0.763 ± 0.018

Boron

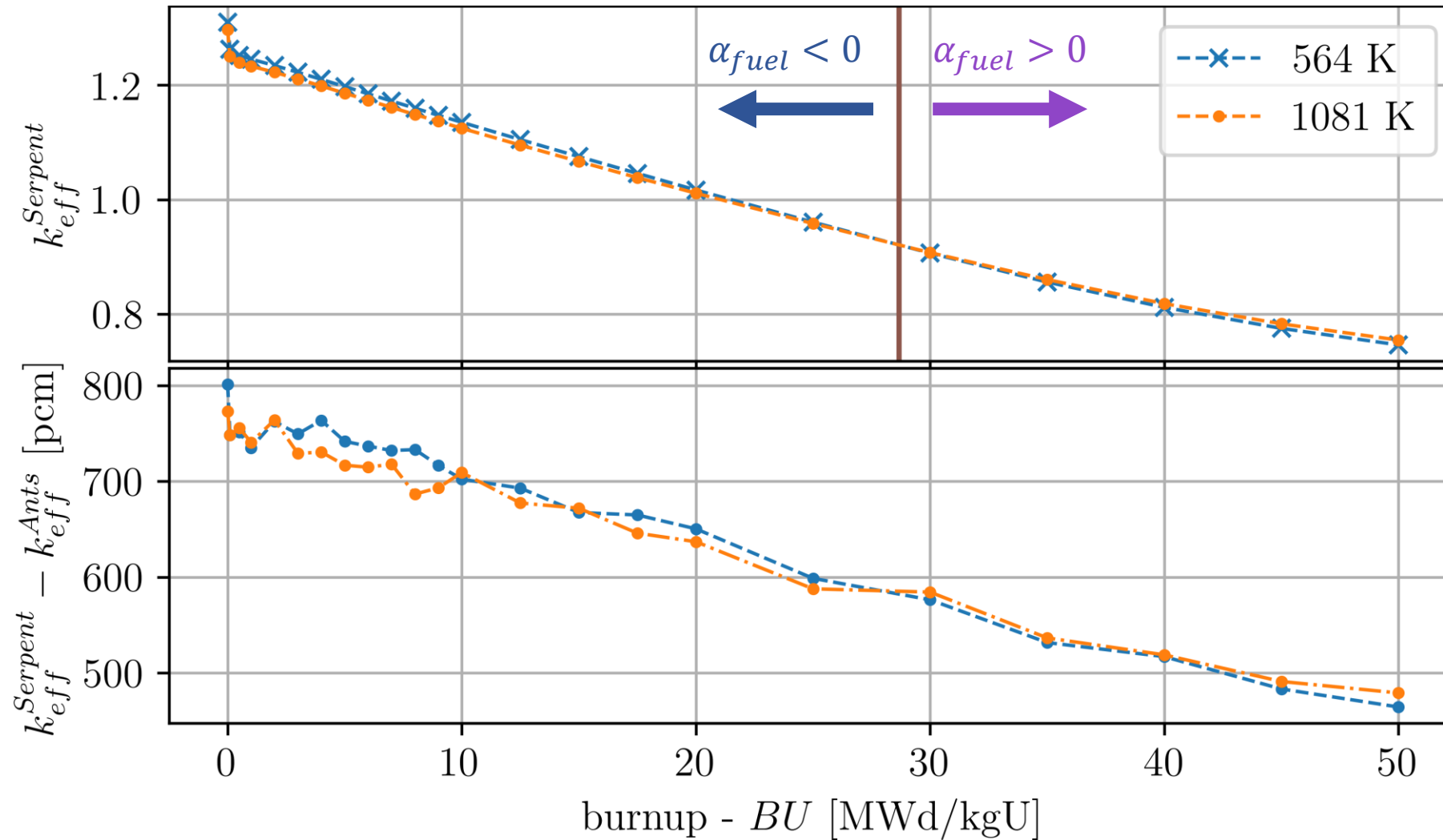


- $\alpha_{moderator}(T)$ at each c_B ?

Moderator temperature



Fuel temperature



Fuel temperature

